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eli


beamlines

Proposal of a detector for studying high-energy photons generated during laser-plasma interaction

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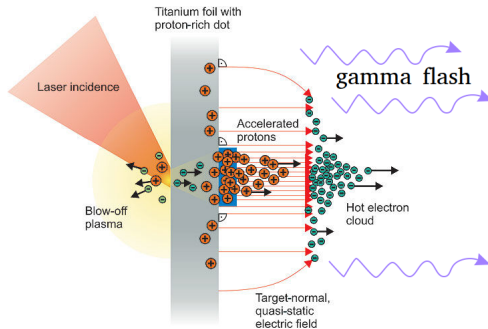
11th Student Workshop - Winter school on Plasma Physics

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- 1 Motivation
- 2 Detector design and simulation setup
- 3 Signal unfolding algorithm and results
- 4 Conclusion
- 5 Next steps

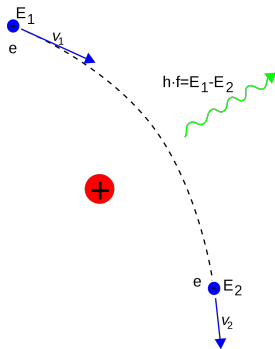
- ELIMAIA group (ELI Multidisciplinary Applications of laser-Ion Acceleration): laser-accelerated ion beams

TNSA principle →
 (Target Normal Sheath Acceleration)

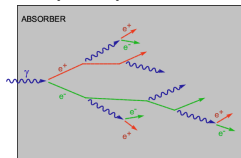


- Energy spectrum of the emitted photons ⇒ hot electrons and hence ions T, absorption mechanisms
- BUT emission is short (fs range) and high-energy (up to 50 MeV) → Need of a **novel detector**: *online, compact*

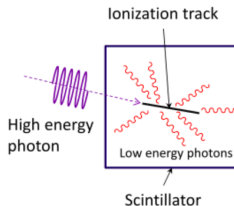
High energy photons ($\gtrsim 10$ MeV):
generation=*bremsstrahlung*



absorption=*pair production*



Electromagnetic calorimeter was chosen;
Based on scintillating materials:



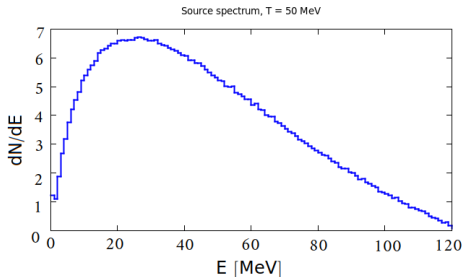
WHY: active, compact size, EMP (electromagnetic pulse) resistant; in a calorimeter setup - spectral information.

Beg scaling (hot electron T prediction [1]):

$$T_h(\text{MeV}) = 0.215 \left(\frac{I \lambda^2}{10^{18} \text{Wcm}^{-2} \mu\text{m}^2} \right)^{1/3}$$

I is laser intensity, λ is its wavelength

\Rightarrow Photon temperature will not exceed **50 MeV**

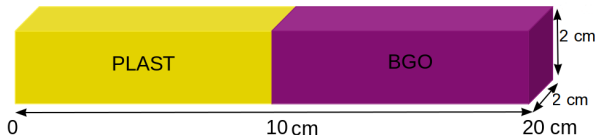


Simulated photon source energy:

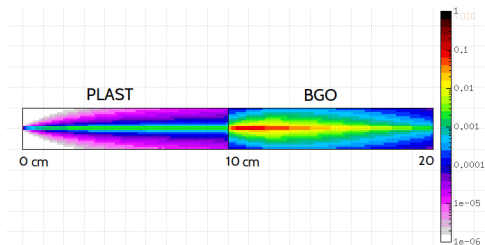
Maxwell-Boltzmann (MB) distribution with T in the range:

100 keV - 1 MeV with 100 keV step; 1 MeV - 50 MeV with 1 MeV step.

Calorimeter *simplified* design for further tests: only 2 layers: plast and BGO



simulations performed using the Monte Carlo FLUKA code [2]



Scintillator	Density [g/cm ³]	Light Yield [# / MeV]
PLAST	1.05	10 000
BGO	7.13	8 000

Deposited $T = 10$ MeV
(log. scale), [GeV/cm³]

⇒ need of a **signal unfolding!**

Basic idea:

- Experiments \Rightarrow usually signal consists of photons of 2 T
- Calorimeter response \mathbf{D} as a function of 4 variables:

$$\mathbf{D} = A \cdot \mathbf{T}_B + C \cdot \mathbf{T}_D.$$

- We guess parameters a, b, c, d and get a guessed response

$$\mathbf{G} = a \cdot \mathbf{t}_b + c \cdot \mathbf{t}_d,$$

where \mathbf{t} is a detector response for the particular MB temperature simulated beforehand.

- Let us define a function which says how \mathbf{D} and \mathbf{G} differ

$$\chi(a, b, c, d) = \sum_i (G_i - R_i)^2,$$

- If $\chi = 0$, then $a, b, c, d = A, B, C, D$ and the problem is solved
 \Rightarrow need to find minimum of χ

⇒ how to find minimum of $\chi(a, b, c, d) = \sum_i (G_i - R_i)^2$?

we found two ways

① Check all the possible combinations:

② Use gradients:

Gradient tells which way the function rise the most.

$$\chi(a, b, c, d) = \left(\frac{\partial \chi}{\partial a}, \frac{\partial \chi}{\partial b}, \frac{\partial \chi}{\partial c}, \frac{\partial \chi}{\partial d} \right) =: \text{grad}$$

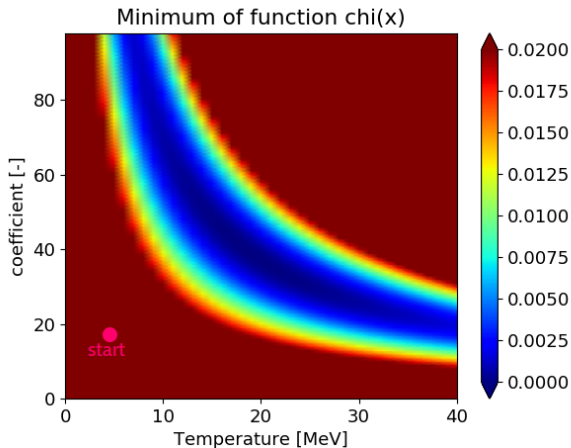
- Start at a random point *start* and keep minimizing χ :
 $\text{start}(k+1) = \text{start}(k) - \alpha(k) \cdot \text{grad}(k)$, k is iteration step
- $\alpha(k)$ is calculated so that to move *in the minimum direction as far as possible*

- 1 Check all the possible combinations:
 - + Very simple and reliable, - but not precise enough, not noise resistant, time consuming and not able to guess decimal T values.
- 2 Use gradients:
 - + fast and precise, - but depends on the starting point: possible to stop at local minimum, not global.
- 3 **Solution:** Combination of 2 algorithms:
the 1st one: approximation → *save to start*;
start → as a starting point in the 2nd algorithm

Code written in Python

Intuitive explanation

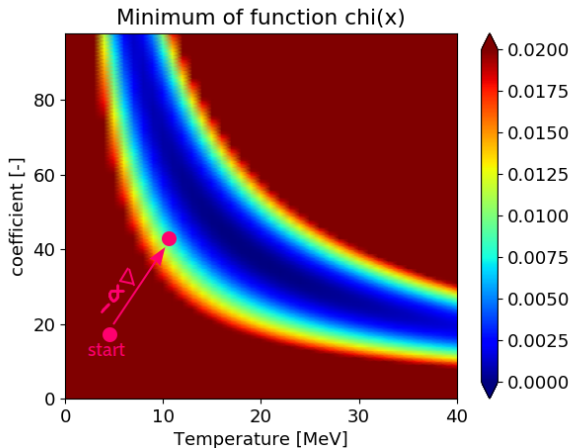
2D response: $D = 40 \cdot T_{20}$



$$\chi(x) := \chi(a, b)$$

Intuitive explanation

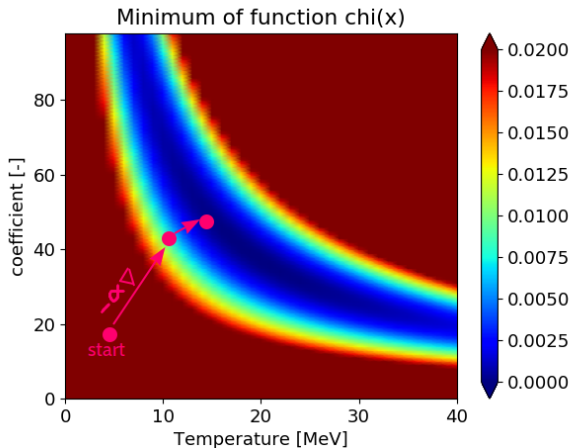
2D response: $D = 40 \cdot T_{20}$



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Intuitive explanation

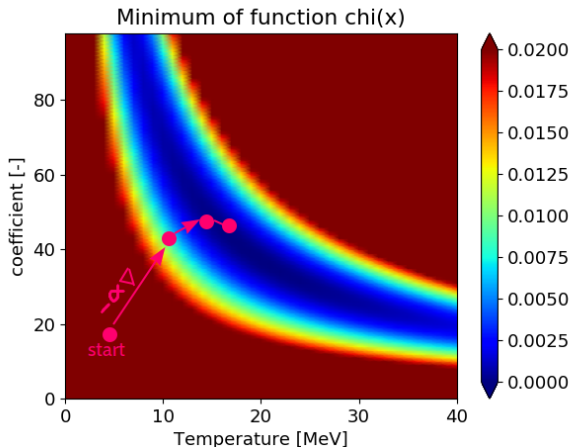
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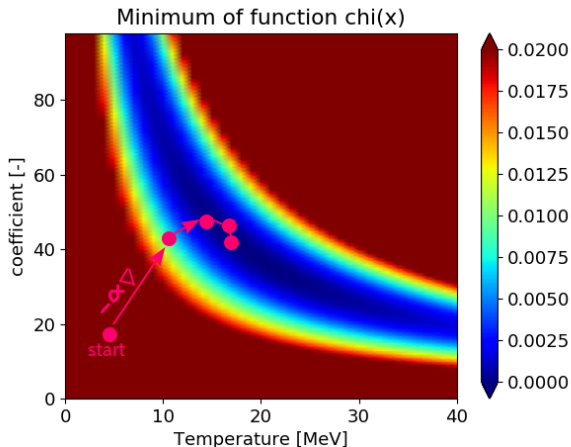
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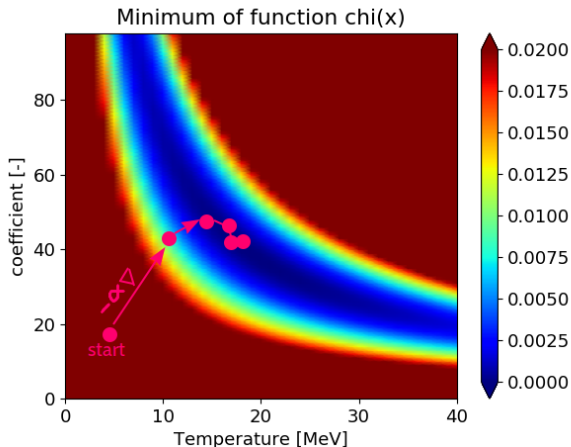
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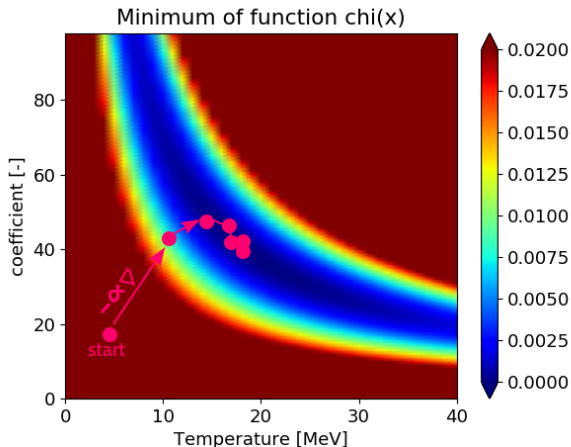
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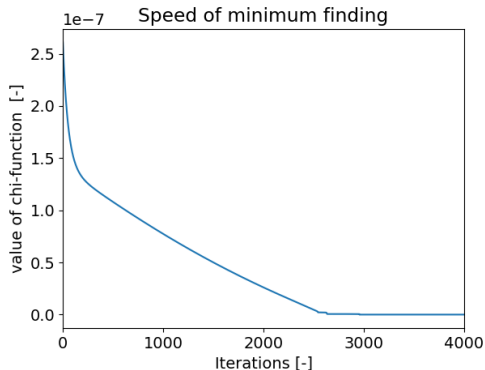
Intuitive explanation

2D response: $D = 40 \cdot T_{20}$



$$\chi(x) := \chi(a, b)$$

- Detector response: $D = 5.50 \cdot T_{4.10} + 1.20 \cdot T_{39.90}$
- Unfolded response: $D = 5.49 \cdot T_{4.10} + 1.19 \cdot T_{39.90}$
- execution time: ~ 180 seconds



<1% precision

- An electromagnetic calorimeter: *plastic and BGO scintillators* with length not exceeding *20 cm*: **suitable** for high-energy photons (*<50 MeV*) detection.
- To test the design, T_{ph} was estimated, calorimeter geometry was built and multiple simulations were performed via the FLUKA code.
- **Success in the unfolding algorithm** development:
 - fast (3 mins)
 - noise resistant
 - able to work not only with integer temperatures (as simulated), but also with decimal.
- Ready to move on with design improvements and detector manufacturing.

- More realistic design (number of layers, layer thickness..)
- Simulations using realistic photon beam shape (covering the whole detector facing surface instead of pencil-beam) and creation of new response matrix
- Manufacturing of the detector (contact a manufacturer)
- Experimental tests and calibration

- 1 Beg, F. N et al., *Physics of plasmas*, 4(2): 447 (1997).
- 2 A. Ferrari, et al. No. INFN-TC-05-11 (2005).
- 3 D. Margarone, *et al.*, *Quantum Beam Science*, 2(2):8 (2018).
- 4 ELI Beamlines official website: <https://www.eli-beams.eu/>
- 5 H. Schworer, *et al.*, *Nature* 439(7075): 445 (2006).
- 6 G. F. Knoll, *Radiation Detection and Measurement*. 4th edition, John Wiley & Sons (2010).